

# TEMPERATURE DEPENDENCE OF THE MAGNETIC SUSCEPTIBILITY OF SOME $AgMn$ ALLOYS

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**ABSTRACT**—The susceptibility of three alloys of  $AgMn$  ( $c = 4.96, 6.35$  and  $13.00$  at %) has been investigated around its maximum in terms of a distribution of blocking temperatures.

## 1 — INTRODUCTION

The nature of the transition of a spin glass has been a point of great controversy. The sharpness of the temperature dependence of the magnetic susceptibility around its maximum depends on the experimental conditions. A.C. susceptibility ( $\chi_a$ ) measurements reveal a sharp cusp at the transition temperature  $T_0$ . This maximum of the susceptibility is frequency dependent, although in some cases the shift in  $T_0$  is small and hard to detect [1]. The presence of a D.C. field depresses  $\chi_a$  and simultaneously rounds up the cusp [2]. D.C. susceptibility measurements as well as A.C. measurements are further complicated by time effects.

A great deal of effort has been concentrated on the theoretical explanation of the spin glass behaviour [3], [4], based on the exchange interaction between the impurity spins. Substantial

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analytical and computational work has been done, but in most cases it does not quite agree with experiments.

Recently Wohlfarth [5] has put forward a phenomenological model based on the original idea of Néel [6], which assumed clustering of the impurity spins in fine particles. Frequency and time effects will be natural consequences, as was discussed by Néel [6] himself.

One of the crucial assumptions in Wohlfarth's model [5] is that the intrinsic Curie temperature of the cluster material is well above the transition temperature  $T_0$  (for Mn,  $T_C \approx 95$  K). According to the model, the susceptibility of the clusters is zero below a blocking temperature  $T_B$  and given by  $\chi = C/T$  for  $T$  greater than  $T_B$ . If  $f(T_B)$  is the distribution function for the blocking temperatures, the susceptibility of the spin glass will be given by

$$\chi(T) = 1/T \int_0^T C f(T_B) dT_B \quad (1)$$

In his calculation, Wohlfarth [5] treated  $C$  as constant (independent of  $T_B$ ); however, the analysis may be carried out, to a certain extent, without making any such assumption. In fact, introducing the average

$$\bar{C} = \int_0^\infty C(T_B) f(T_B) dT_B \quad (2)$$

and defining a new function

$$g(T) = C(T) f(T) / \bar{C} \quad (3)$$

it is straightforward to check that, as in [5],

$$g(T) = (d(\chi T) / dT) / \lim_{T \rightarrow \infty} (\chi T) \quad (4)$$

The temperature  $T_0$  at which the susceptibility has a maximum is given by

$$T_0 g(T_0) = \int_0^{T_0} g(T) dT \quad (5)$$

which is identical to eq. (8) of ref. [5] after replacing  $f(T)$  by  $g(T)$ . It appears, thus, possible to extract from the experimental data,  $\chi(T)$ , both the function  $g(T)$  and the temperature  $T_0$ , *without any assumption about  $C(T)$ .*

It is also possible to express the second derivative of the susceptibility (eq. (12) of ref. [5]) at  $T_0$  in terms of the function  $g(T)$ ; one gets

$$\left( \frac{d^2 \chi}{dT^2} \right)_{T_0} = \left( \bar{C} / T_0 \right) \left( dg / dT \right)_{T_0} \quad (6)$$

This expression may be used to verify the consistency of the analysis.

## 2 — EXPERIMENTAL

We measured the D.C. susceptibility of three Ag Mn alloys of atomic compositions 4.96, 6.35 and 13.00 at % respectively. These alloys were zero field cooled, the measuring field being 1.3 kOe. The measurements were performed on a very sensitive magnetic pendulum developed by Matsui *et al.* [7]. The samples were made by mixing the two components under a vacuum better than  $10^{-5}$  Torr in a high frequency induction furnace. The ingots obtained in this way were remelted in high vacuum in a Bridgeman's furnace and kept at a temperature  $30^\circ\text{C}$  above the melting point of Ag ( $961^\circ\text{C}$ ) for two hours, after which they were cooled down at constant rate, reaching room temperature in approximately seven hours.

The homogeneity in the three alloys was checked by chemical analysis. Three bits taken from different points of the sample showed the same Mn concentration  $c$  within the accuracy of the method used.

## 3 — RESULTS AND CONCLUSIONS

The temperature dependence of the magnetic susceptibility for the three different concentrations of Mn is represented in Fig. 1. From these curves we obtained the functions  $g(T)$ ; in fact Fig. 2 gives  $d(\chi T)/dT = \bar{C}g(T)$ , where  $\bar{C} = \lim_{T \rightarrow \infty} (\chi T)$  is the Curie



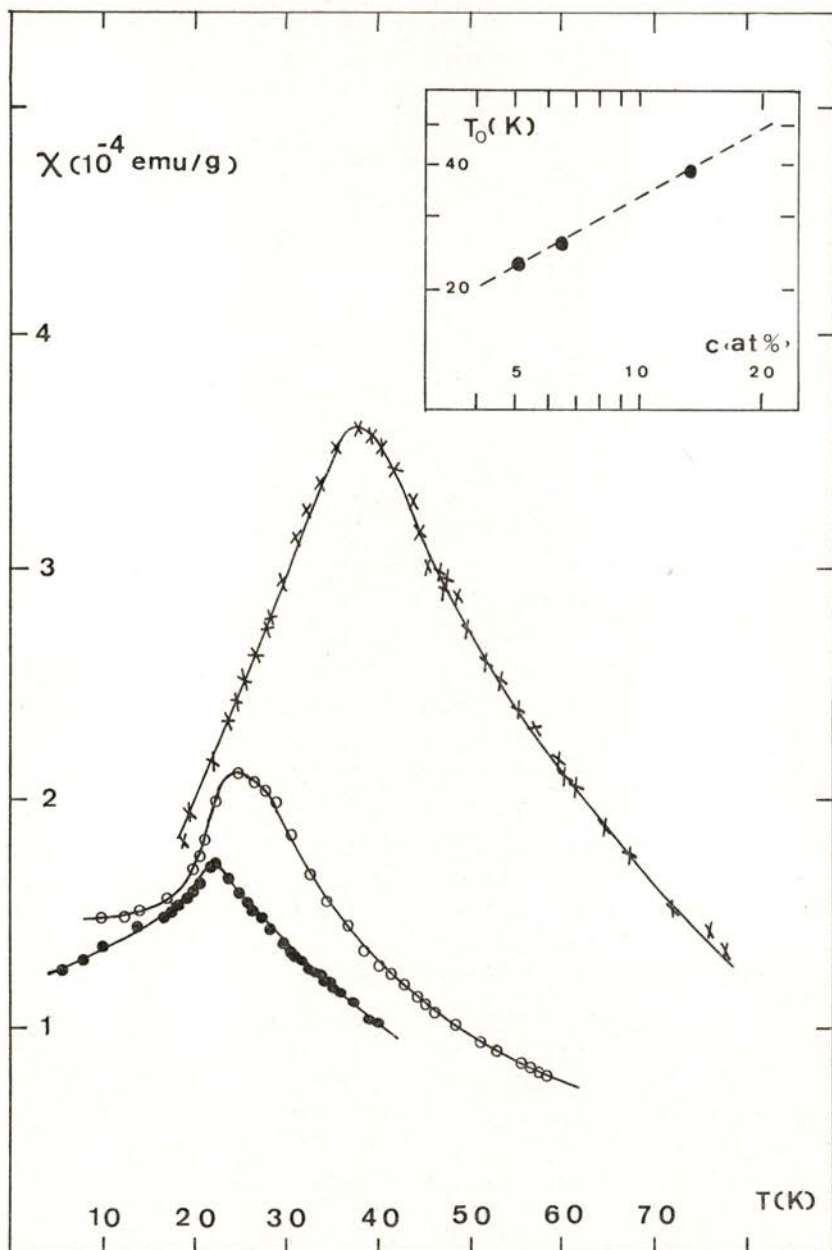


Fig. 1 — Magnetic susceptibility of three Ag Mn samples:  $\times$  — 13.00 at %,  $\circ$  — 6.35 at %,  $\bullet$  — 4.96 at %. The insert shows, in a log-log diagram, the concentration dependence of  $T_0$ : 38.1 K (13.00 %), 25.0 K (6.35 %) and 22.4 K (4.96 %).

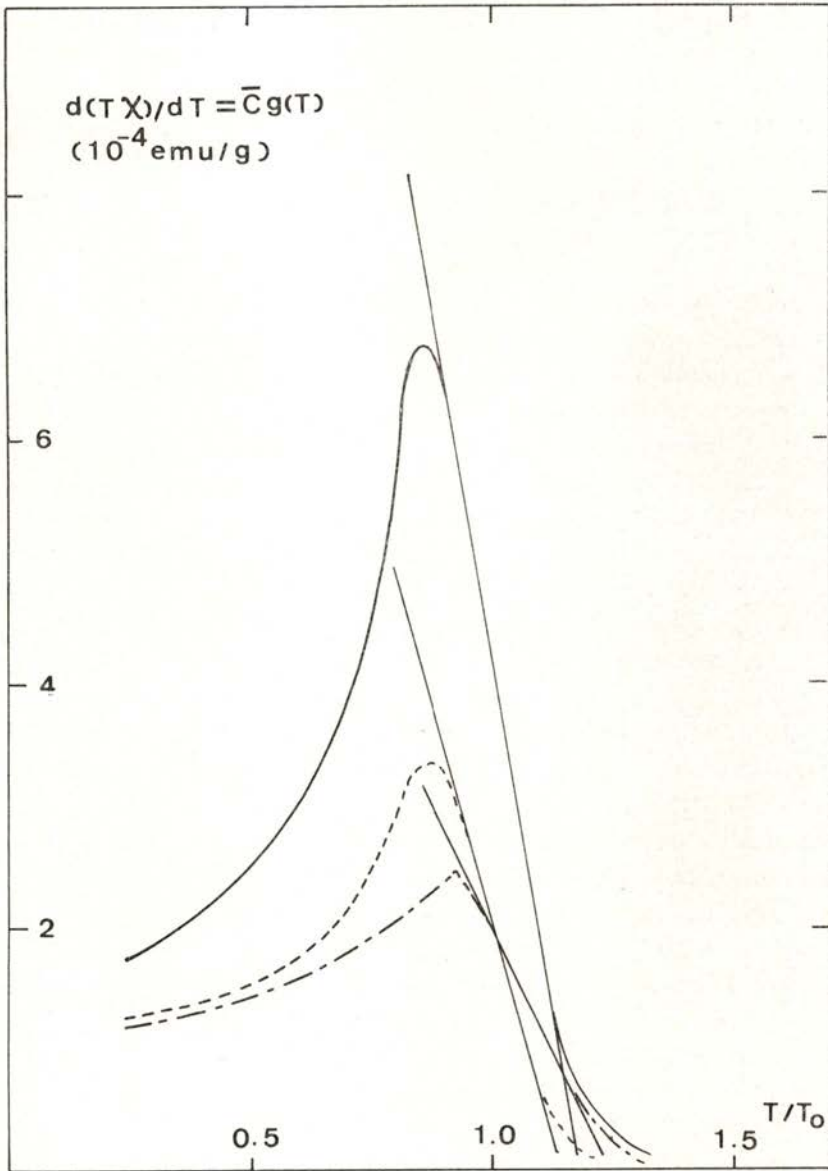


Fig. 2 — The function  $\bar{C}g(T)$  as a function of  $T/T_0$ : the straight lines represent the derivatives  $\bar{C}dg(T)/dT$  at  $T_0$  for the three samples:  $-6.15 \times 10^{-5}$  (emu/g. K) for 13.00 %,  $-5.08 \times 10^{-5}$  (emu/g. K) for 6.35 % and  $-3.26 \times 10^{-5}$  (emu/g. K) for 4.96 %.

constant of the alloy, as a function of  $T/T_0$ . All three  $T_0$  values, calculated from (5), were consistent with the position of the susceptibility maxima shown in Fig. 1; they are, however, slightly larger than those reported by Korn [8] and Kouvel [9]. Also the second derivatives of  $\chi$  at  $T_0$  calculated from the experimental values agree, within the experimental accuracy, with those obtained from  $dg(T)/dT$ , supporting, therefore, the theoretical model.

Mulder *et al.* [10] have shown that samples of Cu Mn slowly cooled from the melt have wider distributions of  $T_B$  than those rapidly quenched. Results from A.C. susceptibility measurements on a quenched sample are almost independent of a superimposed D.C. magnetic field up to values of 2 kOe [10]. However, for the slowly cooled alloys the D.C. magnetic field rounds up the maximum of the susceptibility. This rounding of the maximum in the case of Ag Mn alloys is clearly seen in Fig. 1. If one were to accept Wohlfarth's assumption ( $C$  independent of  $T_B$ ) the curves of Fig. 2 would give directly the distribution function  $f(T_B)$ . If, on the other hand, one were to accept Wohlfarth's expressions for the blocking temperature  $T_B = vK/25k_B$ , and 'constant'  $C = vM_S^2/3k_B$ , where  $v$  is the effective particle volume, and where both the effective anisotropy coefficient,  $K$ , and intrinsic magnetization of the cluster material,  $M_S$ , are assumed independent of temperature, one would have  $C \propto T_B$  and  $g(T) = (T/T_1) f(T)$ , in which  $T_1$  is the average blocking temperature. This does not coincide with  $T_0$ , but, in principle, the sharper the transition the less they will differ. The distribution functions calculated in this way are shown, for the three Ag Mn samples, in Fig. 3; they are similar to those given in ref. [10]. Here the higher the concentration, the sharper becomes the distribution function  $f(T)$  in the vicinity of  $T_0$ , confirming, possibly, that the effect of the D.C. magnetic field is the less pronounced the higher the manganese concentration of the alloy.

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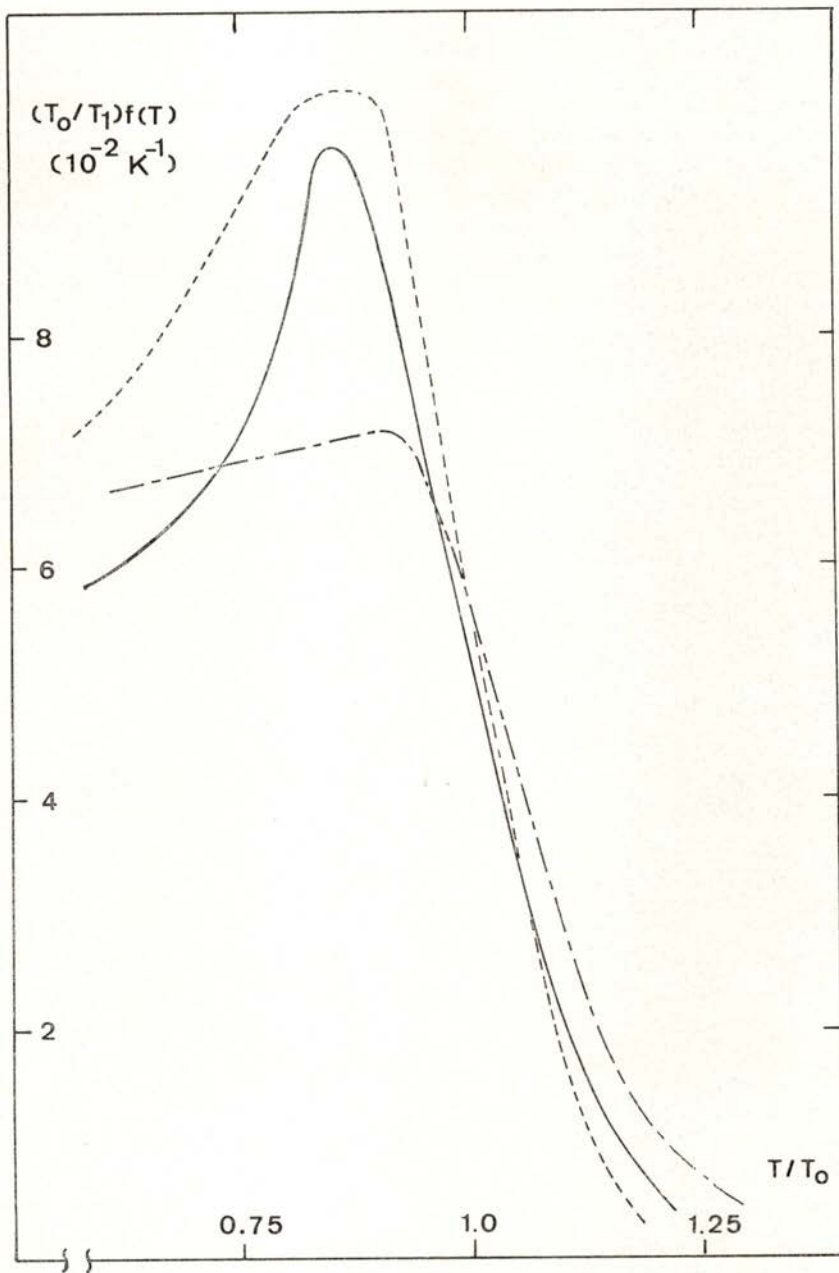


Fig. 3 — The distribution function  $f(T)$  multiplied by  $T_0/T_1$  for the three samples of Ag Mn: — (13.00 %), - - - (6.35 %), - · - · (4.96 %).



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